

# Lowering the $B_1$ Threshold for BEAR $B_1$ Mapping

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**PURPOSE:** The recently proposed BEAR method<sup>1</sup> is a phase-based  $B_1$  mapping method, with linear phase sensitivity to variations in  $B_1$ . The method relies on two hyperbolic secant (HS1) pulses operating in their adiabatic regime used for refocusing, which limits the range of  $B_1$  that can be measured due to the adiabatic threshold of the pulses. Here, we redesign the BEAR method to use HSn pulses, which have lower adiabatic thresholds<sup>2</sup>. By optimizing the HSn pulse parameters, we can reliably acquire  $B_1$  maps for lower nominal peak  $B_1$  ( $B_{1,nom}$ ) than with the original BEAR method. We validate the performance of BEAR with HSn pulses via simulation and in vivo at 3T.

**METHODS:** Fig. 1 shows the BEAR sequence with HSn pulses<sup>2</sup>, where  $n_1$  and  $n_2$  determine the shape of the magnitude sweep for each pulse,  $\text{sech}(\beta t^n)$ , and can be non-integer. The adiabatic threshold  $B_{1,A}$  (the minimum  $B_1$  that ensures refocusing of 90%  $|M_{XY}|$ ) decreases with increasing  $n$ . Thus, increasing  $n$  reduces the sequence adiabatic threshold ( $\sim B_{1,A}/\delta$ , where  $\delta$  is the ratio of the two pulse magnitudes), allowing for use of a lower  $B_{1,nom}$ .

The BEAR method using HS1 pulses has a flat phase response with respect to off-resonance frequency. BEAR with HSn pulses has a moderate quadratic variation in phase with respect to off-resonance frequency. This quadratic phase variation can be largely canceled by choosing appropriate values of  $n_1/n_2$ . Specifically, given an  $n_1$ , we choose  $n_2$  to cancel any phase variation over the slice profile within a range of expected  $B_1$  variation, for a given  $B_{1,nom}$ .  $n_2$  is chosen by minimizing the maximum percent off-resonance phase difference from the on-resonance phase, over the expected  $B_1$  range and slice profile. The expected variation in  $B_1$  depends on the transmit coil used, so we have optimized the method with different  $n_1$ 's for different  $B_1$  ranges.

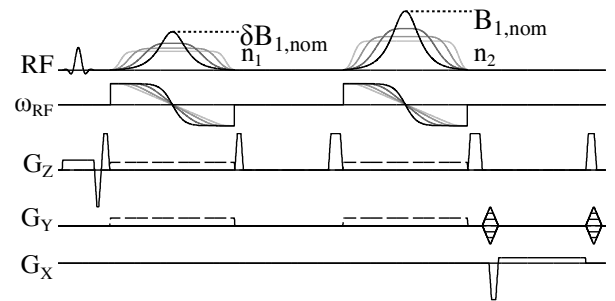
The adiabatic pulse parameters<sup>1,2</sup> were  $T/\beta/\mu=12$  ms/5.3 rad/5.5 and  $\delta=0.9$ . A  $40^\circ$  tip angle,  $TE/TR=49/200$  ms, was used for a single 2DFT acquisition on a GE 3T scanner. To eliminate unwanted sources of phase variation, phase-difference images were made with the second acquisition reversing the order of the two adiabatic pulses.

**RESULTS:** Fig. 2a-c show Bloch simulation results for BEAR using a set of optimized HSn pulses ( $n_1/n_2=4/4.153$ ). The magnitude and phase of the refocused  $M_{XY}$  as a function of  $B_1$  and off-resonance frequency (Fig. 2a-b) show its insensitivity to off-resonance over the given  $B_1$  range. Fig. 2c illustrates that the percent phase difference due to off-resonance is minimized for the given  $B_1$  range and slice profile. Fig. 2d shows that the maximum percent phase difference for varying  $n_1$  and field strength, indicating less than 10% error for all optimizations. Fig. 3a-d show that the in vivo BEAR  $B_1$  maps for  $n_1=1,2,4,8$  are all closely matched.  $B_{1,nom}$  was chosen to keep the total SAR the same for each image. Fig. 3e-g show percent differences with  $n_1=1$  as the reference.

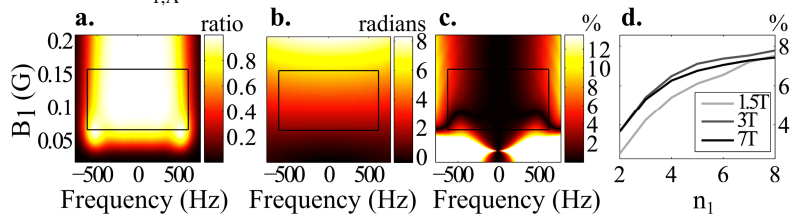
**DISCUSSION/CONCLUSION:** The BEAR method has been redesigned to use HSn pulses, reducing the peak RF amplitude required for accurate  $B_1$  measurement, while maintaining its insensitivity to off-resonance frequency, and linear phase sensitivity to  $B_1$  variations. The method minimizes the  $B_1$  map error seen within a  $B_1$  range by selecting a particular  $n_2$ . Optimizations of a few  $B_1$  ranges were made since different amounts of variation are expected, depending on the transmit coil (e.g., the 50% variation in  $B_1$  is typical for a head transmit coil at 7T). Scan results showed the method's accurate  $B_1$  mapping ability even for low  $B_{1,nom}$ . We expect this method to be useful for acquiring  $B_1$  maps at lower  $B_{1,nom}$ .

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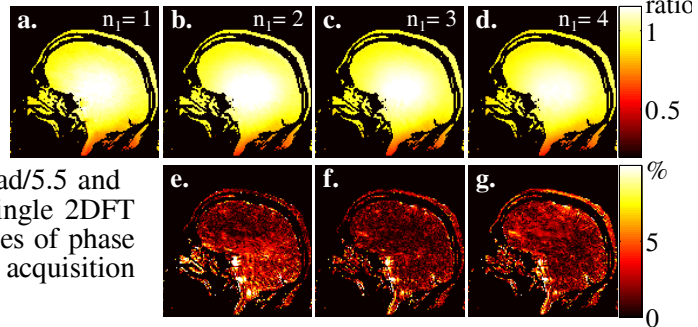
**References:** [1] Jordanova *et al.*, Proceedings of ISMRM, Salt Lake City, p. 370, 2013. [2] Tannus *et al.*, NMR in Biomed, 10:423-434, 1997.



**Figure 1:** BEAR pulse sequence using HSn pulses:  $n_1=n_2=1,2,4,8$  for lighter gray lines.  $B_{1,A}$  for each HSn pulse is [0.091, 0.064, 0.052, 0.045] G respectively.



**Figure 2:** BEAR simulation results for HSn pulse optimization. Slice profiles for **a:** magnitude, **b:** phase and **c:** percent phase difference from 0 Hz for  $n_1/n_2=4/4.153$ . Black boxes show the expected  $B_1$  range at 3T,  $B_1 = 1 \pm 0.4 \cdot B_{1,nom}$ ,  $B_{1,nom}=0.114$  G. **d:** Maximum percent phase difference from 0 Hz over the range shown in (c) as a function of  $n_1$  and main-field strength.  $B_1$  variations were 20/30/50% for 1.5/3/7T.



**Figure 3:** **a-d:** BEAR scan results for varying  $n_1$  normalized by  $B_{1,nom}=[0.211, 0.142, 0.114, 0.102]$  G. **e-f:** % error for  $n_1=2,4,8$  compared to  $n_1=1$ , with average errors = [2.68, 1.93, 2.50] %.