

## Measuring T<sub>1</sub> and T<sub>2</sub> and proton density in 3 acquisitions: the Tri- $\tau$ method

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**INTRODUCTION.** T<sub>1</sub> and T<sub>2</sub> are typically determined by separate partial saturation (PS) or inversion recovery and spin-echo (SE) experiments. We propose a new method to measure both T<sub>1</sub> and T<sub>2</sub> in just three acquisitions, without using echoes or varying the repetition period T<sub>R</sub>. Instead, T<sub>2</sub> is measured by varying the pulse length ( $\tau$ ) of an adiabatic B<sub>1</sub>-independent rotation (BIR-4) pulse in two of the acquisitions, based on the fact that long adiabatic excitation pulses are prone to T<sub>2</sub> decay [1,2]. T<sub>1</sub> is determined by varying the flip-angle in two acquisitions, analogous to the dual-angle method [3]. Thus, this 3-acquisition “Tri- $\tau$ ” method employs an  $\alpha$  hard pulse excitation, a  $\beta$  short-duration BIR-4 pulse, and a  $\beta$  long-duration BIR4 excitation. The method is validated with T<sub>1</sub> and T<sub>2</sub> SE and PS measurements on phantoms.

**THEORY.** Because during BIR-4 pulses the magnetization spends time in the transverse plane and is subject to T<sub>2</sub> decay [1], T<sub>2</sub> can be measured from two acquisitions employing long and short BIR-4 pulses of duration  $\tau_3$ , and  $\tau_2$ , essentially independent of flip-angle  $\beta$  [2]. Adding a third acquisition with a different flip-angle  $\alpha$  yields T<sub>1</sub> provided the sequences are applied with a (single) T<sub>R</sub>  $\leq$  T<sub>1</sub> to permit adequate T<sub>1</sub> attenuation and resolution. Thus the Tri- $\tau$  method acquires: a first signal S<sub>1</sub> with a conventional short ( $\tau \ll T_2$ )  $\alpha$  RF excitation pulse; a second signal S<sub>2</sub> with a  $\beta$  BIR-4 pulse of duration  $\tau_2$ ; and a third signal S<sub>3</sub> with a  $\beta$  BIR-4 pulse of length  $\tau_3 = 2\tau_2$ . With  $E_1 = \exp(-T_R/T_1)$ , the three steady-state signals are:  $S_1 = [M_0(1-E_1)\sin\alpha]/(1-E_1\cos\alpha)$ ;  $S_2 = [M_0(1-E_1)E_{p2}^{xy}\sin\beta]/(1-\cos\beta E_1 E_{p2}^z)$  [3];  $S_3 = [M_0(1-E_1)E_{p3}^{xy}\sin\beta]/(1-\cos\beta E_1 E_{p3}^z)$  with  $E_p^{xy}$  and  $E_p^z$  as the transverse and longitudinal attenuation factors. From numerical simulations with practical BIR-4 pulses and  $\beta < 80^\circ$ ,  $E_p^{xy} = E_p^z = E_p = \exp(-g \cdot \tau/T_2)$ ,  $E_{p3} = (E_{p2})^2$ , and the equation set simplifies to a quadratic with solutions of  $E_{p2}$  and  $E_1$ , yielding  $T_1 = -T_R/\ln(E_1)$  and  $T_2 = -(g \cdot \tau_2)/\ln(E_{p2})$ , where g is a constant reflecting the time spent by the magnetization in the transverse plane.

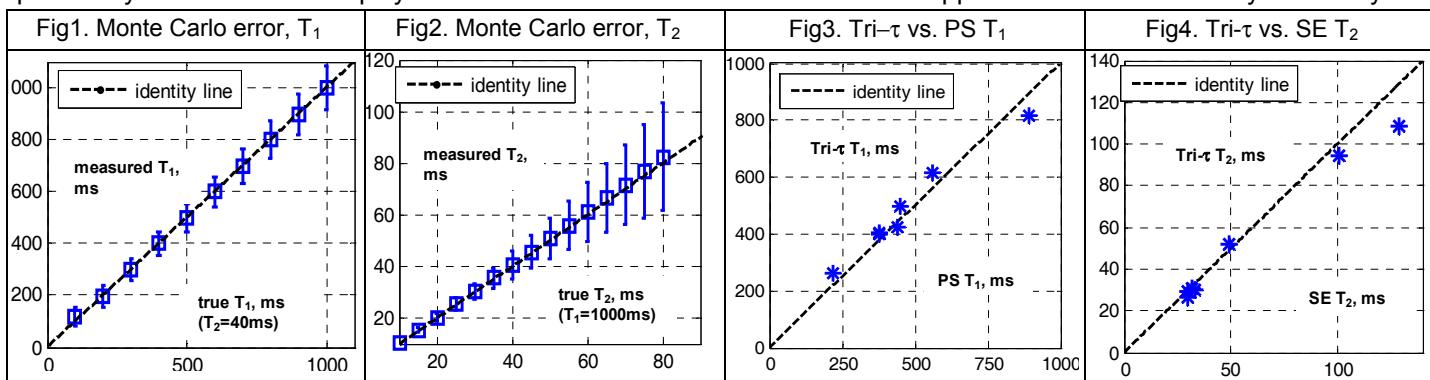
**METHODS.** Numerical simulations based on the Bloch equations were performed with B<sub>1</sub>=20 $\mu$ T, f<sub>max</sub>=15kHz at 3T. BIR-4 pulse lengths were varied over 5 $\leq$  $\tau$  $\leq$ 40ms to determine g as a function of T<sub>1</sub>, T<sub>2</sub> and flip-angle. Monte-Carlo simulations were performed to determine the accuracy of the Tri- $\tau$  method at signal-to-noise ratio (SNR)=50, with experimental values of  $\tau_3 = 2\tau_2 = 20$ ms, T<sub>R</sub>=0.3s.

The Tri- $\tau$  method was validated experimentally in <sup>1</sup>H NMR studies of 6 CuSO<sub>4</sub>-doped gel phantoms on a Philips 3T Achieva scanner with 219 $\leq$ T<sub>1</sub> $\leq$ 890ms and 31 $\leq$ T<sub>2</sub> $\leq$ 129ms, as determined by standard SE and PS methods. S<sub>1</sub> was acquired with  $\alpha = 15^\circ$  75 $\mu$ s hard pulse, S<sub>2</sub> and S<sub>3</sub> are excited by 60° BIR4 pulses.

**RESULTS.** The Bloch simulations yielded g=0.81 for T<sub>1</sub>=1s, 14 $\leq$ T<sub>2</sub> $\leq$ 120ms and  $\theta < 80^\circ$ , varying less than 1.5% for 120 $\leq$ T<sub>1</sub> $\leq$ 1000ms. The Monte Carlo simulations of the Tri- $\tau$  method showed that T<sub>2</sub> could be measured with a mean error of -10% to 2% for T<sub>2</sub> $\leq$ 80ms and 0.1 $\leq$ T<sub>1</sub> $\leq$ 1s (Fig1). The error in T<sub>1</sub> was  $\leq 1\% \pm 15\%$ (SD) for 0.3 $\leq$ T<sub>1</sub> $\leq$ 1s, 30 $\leq$ T<sub>2</sub> $\leq$ 130ms (Fig 2).

T<sub>2</sub> and T<sub>1</sub> values measured from the Tri- $\tau$  experiments on phantoms are compared with SE and PS T<sub>1</sub> and T<sub>2</sub> values in Figs 3, 4. The results show good agreement for all phantoms.

**DISCUSSION.** Because the proton density derives directly from the fully-relaxed signal, the Tri- $\tau$  method offers the potential for obtaining all of the T<sub>2</sub>, T<sub>1</sub> and signal density information with just three acquisitions—arguably the minimum possible. The caveat is that the method requires accurate setting and knowledge of the flip-angles. This new method can potentially save time and simplify relaxation measurements. Extension of the approach to MRI is currently underway.



1. El-Sharkawy AE, et al. Magn Reson Med 2009; 61:785-795. 2. Wang G, et al. Proc. ISMRM 2011; 19: 2174.

3. Bottomley PA, et al. J Magn Reson B, 104 (1994);159-1671. This work is supported by NIH grant R01 EB7829.