

# Enhancement of endogenous CEST effects by optimizing pre-saturation pulse train properties

M. Zaiss<sup>1</sup>, B. Schmitt<sup>1</sup>, and P. Bachert<sup>1</sup>

<sup>1</sup>Department of Medical Physics in Radiology, German Cancer Research Center, Heidelberg, Germany

## Introduction

Amide proton transfer (APT), a sub-type of chemical exchange saturation transfer (CEST), uses the chemical exchange between amide and bulk water protons in cells to create a contrast in MR imaging [1-2]. Parameters which influence the transfer rate can be obtained from analysis of the z-spectra. The commonly employed theory [3] is based on assumption of continuous wave (cw) RF pre-saturation which is restricted in clinical MRI systems. Moreover, pulse trains with equivalent power as cw saturation [4] are expected to reach the maximum effect with long saturation (sat) pulses. In this study the asymmetry effect is optimized by pulse length  $t_p$  and interpulse delay  $t_d$  especially for pulse trains of Gaussian pulses. The investigation shows an optimum for pulse lengths in the range of 10 ms depending on  $B_1$  and frequency offset of the proton pool of interest.

## Theory

For comparison of pulsed irradiation to cw irradiation, Gaussian pulses with a cw equivalent power deposit during pre-sat are calculated by

$$f(t, t_0) = B_{1,\max} \cdot \exp\left(-\frac{(t - t_0)^2}{(2\sigma)^2}\right), \quad B_{1,\max} = \frac{\sqrt{t_p + t_d}}{\sqrt{\pi}\sigma} \cdot B_1, \quad \sigma = \frac{t_p}{6}$$

Which are concatenated to a pulse train of  $n$  pulses with the effective sat time  $t_s = n \cdot (t_p + t_d)$ .

After saturation and acquisition of the z-spectrum signal  $S$ , the asymmetry is calculated by  $MTR_{\text{asym}} = (S(-\Delta\omega) - S(\Delta\omega)) / S_0$ . In the pulsed case  $MTR_{\text{asym}}$  is altered by time dependent spillover effect, influences of spoiling, spectral RF distribution and relaxation effects during interpulse delays. So, the available  $MTR_{\text{asym}}$  can be optimized by choice of duty cycle and pulse number  $n$ , which, for constant  $t_s$ , imply  $t_p$  and  $t_d$ .

## Materials & Methods

The time dependent 2-pool-Bloch-McConnell equations with transfer terms were solved by common numeric solutions [5] discretised in time domain. In simulations with Gaussian pulse trains with a cw equivalent power of  $B_1 = 2\mu\text{T}$  and a constant saturation time  $t_s = 300$  ms the duty cycle  $t_p / (t_d + t_p)$  was varied from 50-100% and  $n$  was varied from 1 to 60 pulses with spoiling after each pulse. The asymmetry of z-spectra simulated with the parameters of table 1 at  $B_0 = 3$  T was calculated.

Phantom experiments with 50 mM creatine dissolved in phosphate buffered saline at pH=7.4 were performed on a clinical tomograph (Magnetom Trio; Siemens Healthcare, Erlangen, Germany) with  $B_0$  of 3T using a standard 32 channel head coil. Signal was acquired with a 3D RF-spoiled gradient echo (GRE) sequence with Gaussian-shaped pre-sat pulses ( $B_1: 2\mu\text{T}$ ,  $t_s = 300$  ms, duty cycle 50%) before each acquisition of 19 data points of each z-spectrum. Spoiler gradients in all 3 directions were applied after each sat pulse. Matlab 7 (The Mathworks, Natick, MA, USA) was used for data analysis.

## Results & Discussion

Figure 1 shows simulated  $MTR_{\text{asym}}$  (1.9 ppm) as a function of duty cycle and number of pulses  $n$ . A high duty cycle enhances  $MTR_{\text{asym}}$  in all cases. The dependence on the pulse number  $n$  is surprising: The cw analogue case ( $n=1$  and duty cycle of 100%) does not yield optimal  $MTR_{\text{asym}}$ . Instead, for duty cycle of 100% maximum  $MTR_{\text{asym}}$  is found at  $n=32$ . For duty cycle 50% there is a maximum at  $n=20$  where  $t_p = t_d = 7.5$  ms. In addition, there is a smaller lobe at  $n=9$  where  $t_p = t_d = 16.7$  ms. The bump in  $MTR_{\text{asym}}$

follows a line of constant  $t_p = 8.5$  ms demonstrating the relationship between this parameter and the saturation bandwidth  $\sigma_{\text{RF}} = 1/t_p \approx 1$  ppm of a Gaussian pulse and shows the range of influence of "pulsed spillover". The delay  $t_d$  seems to cause only effects of relaxation. Figure 2 shows the distorted z-spectra which result from short pulses: for  $n=15$  the direct saturation minimum vanishes and there are side lobes in the z-spectrum that weaken the asymmetry (Fig. 3). For  $n=19$  the side lobes show to produce lower spillover near the CEST resonance and therefore the asymmetry increases. Differences between simulation and measurement are attributed to different relaxation parameters, but also  $B_1$  and spoiling inhomogeneities in the experiments. Due to the formation of the side lobes, the optimization strongly depends on the absolute value of  $B_1$  and the offset of the CEST pool of interest. The same useful substructures showed up in z-spectra of egg white measurements with *in-vivo*-like properties (no data shown).

## Conclusion

CEST employing Gaussian pulsed saturation can be optimized by using the explicit time dependency of Bloch-McConnell equations. Simulations enables prediction of optimal pulse lengths (order of ms) in contrast to single cw-like pulses. In excess of cw spillover effect, a pulsed spillover effect was found to dilute  $MTR_{\text{asym}}$  within  $\Delta\omega \approx 1/t_p$ . The proposed Gaussian pulse schemes are feasible in clinical MRI scanners and promise optimized and selectively enhanced detection of labile protons localized *in vivo*.

## References

- [1] Zhou J *et al.* PNMRS 2006; 48:109-136  
 [2] Zhou J *et al.* Nature Medicine 2003; 9:1085-1090  
 [3] Sun PZ *et al.* Magn. Reson. Med. 2007; 58:1207-1215  
 [4] Ramani A *et al.* Magn. Reson. Im. 2002; 20:721-731  
 [5] Woessner DE *et al.* Magn. Reson. Med. 2005; 53:790-9.

Table 1: simulation parameters

Pool	Water	CEST
$M_0$	1	0.002
$T_1$	450 ms	1000 ms
$T_2$	220 ms	15 ms
offset	0 ppm	1.9 ppm
$k$	0.25 Hz	125 Hz

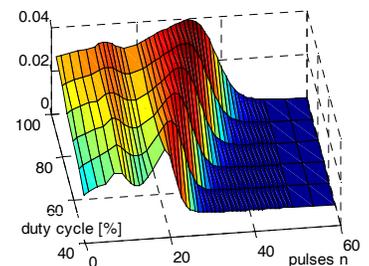


Figure 1: simulated  $MTR_{\text{asym}}$  (1.9 ppm, 2  $\mu\text{T}$ ) over duty cycle and pulse number  $n$

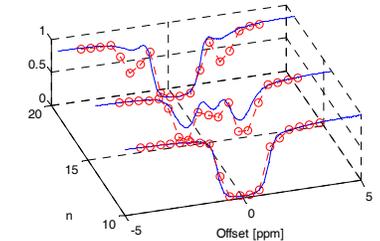


Figure 2: meas. (circles) and simulated (solid) z-spectra ( $B_1 = 2\mu\text{T}$ )

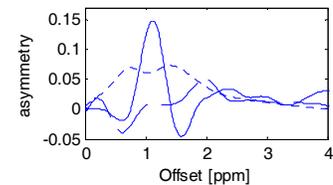


Figure 3: measured asymmetry (spline interpolation) for  $n=19$  (solid),  $n=15$  (dashed) and  $n=10$  (dotted)