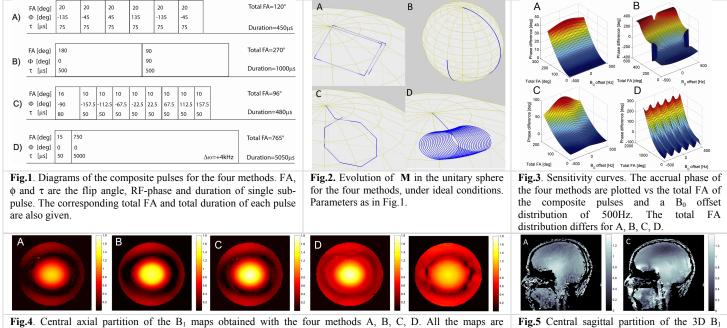
## COMPARISON OF FOUR PHASE BASED METHODS FOR THE B<sub>1</sub><sup>+</sup> MAPPING AT 7T

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**INTRODUCTION:** In ultra-high field MRI the increase of signal to noise ratio (SNR) comes together with longer  $T_1$  and shorter  $T_2$ \* relaxation times, higher specific absorption rates (SAR) and higher  $B_1$  field inhomogeneities. The use of parallel transmit technology has increased the need for fast  $B_1^+$  mapping routines to calibrate transmit coil arrays and to correct for  $B_1$  inhomogeneities. Phase-based methods for  $B_1$  mapping have been shown to be more accurate than magnitude-based methods [1] as the phase of the signal is insensitive to  $T_1$  relaxation effects and coil sensitivity profiles ( $B_1^-$ ). In this work we compare four phase-based methods taken from literature and adapted to 7T: A) the optimized Mugler method of Storey [2,3,4], B) the Morrell method [5], C) the Santoro method [6,7,8] and D) the Bloch-Siegert method of Sacolick [9]. The methods are compared in terms of the sensitivity to the  $B_1$  and  $B_0$  inhomogeneities, SAR levels and repetition times (TRs), using simulations together with phantom and *in vivo* experiments.

METHODS: All four methods make use of the difference of two phase images obtained for two different rotation senses of the magnetization M during the respective composite pulses (Figs. 1, 2). Simulations: MATLAB (The MathWorks, Inc, Natick, USA) is used to simulate the dynamics of M during the composite pulses (Fig. 2). Sensitivity is represented by the phase angle accrual as a function of the B<sub>0</sub> offset [Hz] and B<sub>1</sub> inhomogeneities (Fig. 3). B<sub>1</sub> is expressed in terms of the total flip angle (total FA), which accounts for the total duration and amplitude of the applied RF pulse regardless of its phases (A, B, C) or off resonance frequencies (D). These curves are used for interpolating the measured accrual phases to generate B<sub>1</sub> maps. Experiments: All sequences have been implemented on a Siemens 7.0T Scanner (Magnetom, Siemens, Erlangen), using the IDEA software version VB15a. All four methods were implemented as 3D methods, using rectangular non selective composite pulses and the same imaging module (3D GRE) in which the excitation pulse is replaced by each of the four composite pulses A, B, C, D. The standard basic birdcage coil (Siemens) was used, with an 18cm diameter spherical phantom filled with water (50mM Na). The four MR protocols are identical (FOV=200cm, Matrix 128x88x44, TE=2.4ms) apart from the FAs and the repetition times TRs. FAs have been chosen, when possible, according to previous reports. TRs have been adjusted to accomplish identical SAR levels for all approaches (30% of the standard mode). Values are: Total FA<sub>0</sub>/TR<sub>0</sub>=120°/105ms, Total FA<sub>0</sub>/TR<sub>0</sub>=2765°/360ms. For comparison, a B<sub>1</sub> map of the same phantom is obtained with the double angle method [10,11] using two 2D GRE images with nominal α=60°, 2α=120°, TR/TE=2s/2.5ms. *In vivo* experiments in the brain of a healthy volunteer have been performed with methods A and C. Protocol as in phantom experiments but with nominal FA<sub>0</sub>/Total FA<sub>0</sub>/TR<sub>0</sub>=8°/76.8°/85ms (SAR=90% in standard mode).



**Fig.4.** Central axial partition of the  $B_1$  maps obtained with the four methods A, B, C, D. All the maps are normalized to their nominal FAs (see text). The last  $B_1$  map was derived from the double angle method. Acquisition times: 13min 42s (A), 31min 20s (B), 8min 16s (C), 47min 6s (D).

**Fig.5** Central sagittal partition of the 3D  $B_1$  maps in the brain for method A and C, normalized to their nominal FA. Acquisition times 23min 45s (A), 11min 06s (C).

**RESULTS:** The maps are normalized to the nominal respective flip angles. The results match the predictions obtained with the sensitivity curves: method A) shows a flat dependency on  $B_0$  and a sensitivity of about  $10^\circ$  for total  $FA=120^\circ$ , this may be increased by increasing the nominal FA at expenses of TR. For total  $FA < 100^\circ$  method C) has the highest sensitivity of about  $40^\circ$ ; C) also shows higher dependency on the  $B_0$  offset which may cause susceptibility artifacts. However given the small total FA and the small usage of transverse magnetization, this method allows for faster TR. Method B) has a very high sensitivity and low dependency on  $B_0$  offsets within a range of  $\pm 333$ Hz. However this method employs the highest transverse magnetization and it may therefore require long TR in vivo ( $T1\sim1s$ ). Method D) is less affected by the low signal areas, but requires a total FA of  $765^\circ$ , which results in the highest SAR levels and longest TR. As currently implemented only methods A) and C) could be tested *in vivo* at 7T. Method B) required a longer acquisition time (51min) whereas method D) resulted in very high SARs, inapplicable *in vivo* at 7T. **CONCLUSIONS:** All four methods provide similar  $B_1$  maps, confirming the reliability of phase based methods. Sensitivity may be adjusted based on expected SNR. *In vivo*, when SAR is not a problem, method A) provides the best tolerance to  $B_0$  offset. When speed and SAR are crucial, method C) seems to be most suitable because of its high sensitivity. Consequently, method C) appears to be an ideal candidate for cardiac gated  $B_1$ -mapping which is essential for cardiovascular MR at 7.0 T.

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