

# Correction of base-line [Gd] offsets due to effective saturation pulse flip-angle variations in 3T liver DCE-MRI

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## Introduction

A method for acquiring human DCE-MRI data at 3T from the liver, aorta and portal vein has been previously described [1] and is summarised in Figure 1. Two slices with independent orientation are imaged in each heart-beat using a relatively B<sub>1</sub>-insensitive saturation-recovery preparation implementation [2]. One slice is positioned sagittally through liver tissue, the other in an oblique plane providing a cross section through the portal vein and aorta. Different saturation-recovery times are used due to the differences in [Gd] in the vessels compared to the liver parenchyma. After a dual-input single compartment pharmacokinetic model was fitted to data collected in this way, results [3] showed reasonable agreement with the literature [4] though a number of issues remained. Firstly, there was a non-zero base-line offset in the calculated [Gd] uptake curves (see Figure 2a) and secondly, the delays associated with tissue arrival times ( $\delta_a$  and  $\delta_p$ ) from the aorta and portal vein (and fitted as parameters in the model) were calculated to be unrealistically large. This work investigates applying a correction based on an apparent spatial variation in the effective saturation flip-angle for the aorta, portal vein and liver.

## Theory

The following relationship holds for the magnetisation  $M_5$  (see Figure 3) before the sagittal plane read-out, where  $M_0$  is the magnetisation recorded with a large saturation recovery time (i.e. at  $TS_1 = 10$  seconds) and where perfect saturation flip-angles are assumed:  $M_5/M_0 = (1 - \exp(-TS_1/T_1))$ . Using the Bloch equations, we can derive a more general expression when the saturation flip-angles are unknown by considering the evolution of magnetisation ( $M_1$  to  $M_5$ , see Figure 3). We also assume a linear relationship  $M = \lambda M_5 + \mu M_0$  between the steady-state magnetisation in the GRE read-out,  $M_5$ , and the initial magnetisation,  $M_5$ , before the read-out. This relationship and the values of the linear coefficients  $\lambda$  and  $\mu$  were determined by simulation of the evolution of magnetisation in a GRE

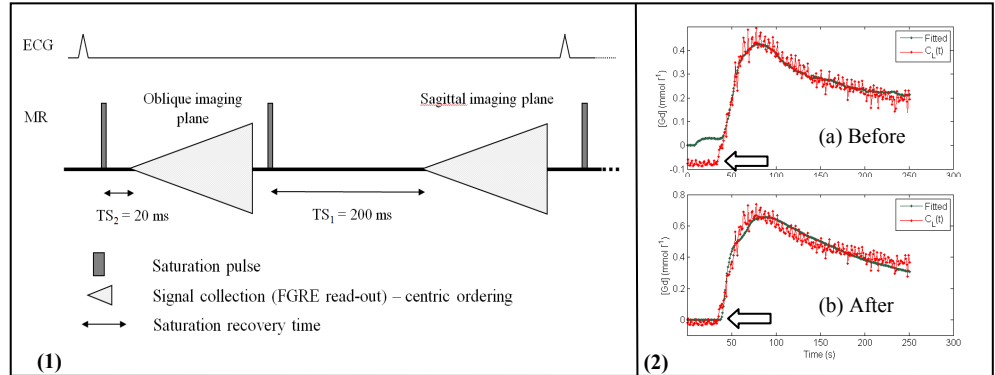


Fig 1: Dual Input-FGRE pulse sequence; Fig 2: fitted curve before and after flip-angle correction

$$\text{Eq 1} \quad \frac{M_5}{M_0} = \frac{\left( (1 - (1 - \mu) \cdot e^{-T_{D1}/T_1}) \cdot e^{-T_{eff2}/T_1} \cdot \cos \alpha_2 + (1 - e^{-T_{eff2}/T_1}) \right) \cdot \cos \alpha_1 \cdot e^{-TS_1/T_1} + (1 - e^{-TS_1/T_1})}{1 - \lambda \cdot e^{-T_{D1}/T_1} \cdot e^{-T_{eff2}/T_1} \cdot e^{-TS_1/T_1} \cdot \cos \alpha_1 \cdot \cos \alpha_2}$$

... and defining:  $D = e^{-T_{D1}/T_1}$ ,  $E = e^{-T_{eff2}/T_1}$ ,  $F = e^{-TS_1/T_1}$ ,  $A = \cos \alpha$ ,  $M' = M_5/M_0$   
 $P = (1 - (1 - \mu) \cdot D) \cdot E \cdot F$ ,  $Q = (1 - E) \cdot F$ ,  $R = 1 - F$ ,  $L = \lambda \cdot D \cdot E \cdot F$  ... yields: -

$$\text{Eq 2} \quad (P + LM') \cdot A^2 + Q \cdot A + (R - M') = 0$$

sequence using the EPG (extended phase graph) method [5,6] and literature values of  $T_1$  and  $T_2$  for blood and liver tissue. This process yields Equation 1, where the symbols are defined in Figure 3. Note that time-stamps in the pulse sequence yield the time intervals  $\tau_1$  and  $\tau_2$  from which  $T_{eff2}$  and  $T_{D1}$  can be calculated, the read-out time being known from the TR. We further assume that the saturation flip-angles  $\alpha_1$  and  $\alpha_2$  are equal ( $= \alpha$ ) to re-arrange Equation 1 as a quadratic in  $A$ , the cosine of the flip-angle  $\alpha$  (see Equation 2). When using the GRE sequence for DCE-MRI, the pre-contrast  $T_1$  ( $T_{10}$ ) is obtained from a separate Look-Locker based measurement [7].  $T_{10}$  can be used, along with the pre-contrast signal, to derive all the coefficients in Equation 2 and hence solve for  $\alpha = \cos^{-1}(A)$ . The root closer to zero is chosen to give  $\alpha$  nearer to  $90^\circ$ , and in the case of complex roots the real part is taken. With this knowledge of  $\alpha$ , an inversion of Equation 1 can then be used to tabulate  $T_1$  for any measured signal. Knowledge of  $T_1(t)$  then enables calculation of the [Gd] time series using the following equation (where  $r$  is the relaxivity of the contrast agent used):  $r \cdot [Gd] = (1/T_1) - (1/T_{10})$ . The process can be repeated for the first slice acquisition by exchanging the relevant timing parameters. The methods were implemented in Matlab (The Mathworks, Natick, MA).

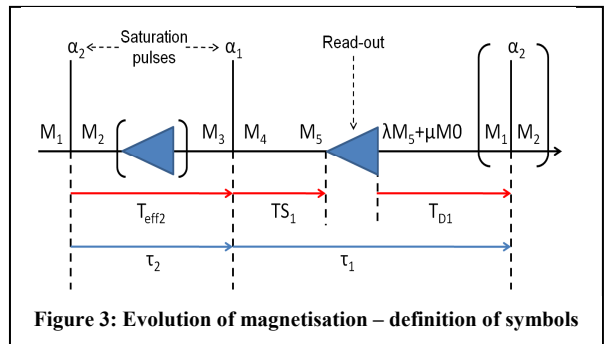


Figure 3: Evolution of magnetisation - definition of symbols

## Methods and results

The method was applied to data from 7 volunteers who had been scanned as part of an ethically approved feasibility study [3] (preceding a study on patients with liver tumours). Of the 7 data-sets, 4 gave real roots and 3 complex roots. Analysis of all 7 data-sets gave a mean total perfusion of  $63 \pm 28$  ml/min/100ml and a mean arterial fraction of  $15 \pm 12$  %. The mean tissue arrival time delays,  $\delta_a$  and  $\delta_p$ , were measured as  $3.9 \pm 2.4$  and  $2.7 \pm 2.3$  s respectively. Interestingly, the mean flip-angle consistent with this analysis within the liver region of interest was  $102 \pm 13^\circ$ , range [88.2, 120.6], for the aorta  $88.2 \pm 0.9^\circ$ , [87.0, 89.0] and for the portal vein,  $87.9 \pm 1.0^\circ$ , [86.1, 88.9].

## Conclusions

This flip-angle correction method has been used to correct base-line offsets in [Gd] (see Figure 2b), leading to improved kinetic modelling of liver DCE-MRI data. The results for total perfusion and arterial fraction are within the range reported by other groups [4]. The mean time delays of  $3.9 \pm 2.4$  and  $2.7 \pm 2.3$  s for  $\delta_a$  and  $\delta_p$  respectively show a significant reduction ( $p < 0.01$ ) from values recorded without the correction ( $8.9 \pm 3.2$  and  $8.3 \pm 2.8$  s, for  $\delta_a$  and  $\delta_p$  respectively) and are more realistic physiologically.

## References

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