A new method for measuring changes in venous cerebral blood volume using hyperoxia

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INTRODUCTION – Venous cerebral blood volume (CBVv) is key to the BOLD response, but could not be measured directly until the advent of VERVE (1). Here we present a new method for measuring changes in CBVv on activation using hyperoxia. Hyperoxia occurs when the fraction of inspired oxygen (F_1O_2) is greater than 0.21. As the arterial blood is almost fully saturated the additional oxygen is carried in the plasma and results in an increase in venous blood saturation.

THEORY – Previous studies have measured the change in total CBV in response to a stimulus using an infusion of contrast agent and T_2^* mapping (2). Here we use $\Delta R_2^{*act} = R_{2\,norm}^{*act} - R_{2\,hyper}^{*act} = \kappa \Delta S_{\nu} \chi_d (V_{\nu} + \Delta V_{\nu})$ hyperoxia in place of a contrast agent to limit sensitivity to the venous volume (3). We assume that increasing F_1O_2 above normal levels does not cause a significant $r\Delta CBVv = \Delta R_2^{*act} - \Delta R_2^{*rest} = \kappa \Delta S_v \chi_d \Delta V_v$ change in arterial blood oxygen saturation, but leads to an increase in venous oxygen saturation, ΔS_{ν} , and hence intravascular susceptibility. We also assume that ΔS_{ν} is independent of initial oxygen saturation, i.e. we are in the linear range of the dissociation curve (4). Assuming that the associated signal change is extravascular in origin the change in R_2^* (ΔR_2^*) due to hyperoxia can be modelled for resting (Eq. $\Delta R_2^* = \left(R_{2_{norm}}^*\right) - \left(R_{2_{hyper}}^* + \Delta R_{2_{hyper}}^{*m}\right)$

1) and activated states (Eq. 2), where κ is a constant reflecting geometry and magnetic field, χ_d is the volume susceptibility of deoxygenated blood, V_v is resting CBVv and ΔV_v is the above in CBVv and ΔV_v is the change in CBVv on activation. The relative change in CBVv time course $(r\Delta CBVv)$ is given by Eq. 3 and the fractional change in CBVv ($\triangle CBVv$) is given by Eq. 4. However an increase in the $\underline{2}$ 0.5 concentration of paramagnetic oxygen in the respiratory system resulting from the increase in F₁O₂ 5 could cause additional macroscopic field inhomogeneities, leading to an additional change in R_2^* on hyperoxia ΔR_2^{*m} (5). Assuming this macroscopic contribution to R_2^* is an additive term, then the change in R_2^* on hyperoxia can be re-written as Eq. 5. The macroscopic terms cancel for Eq. 3 as they are equal for the rest and active conditions, but do not cancel in the denominator of Eq. 4 $\frac{1}{2}$ -0.5 leading to a potential error in the calculation of $\Delta CBVv$.

METHOD – Seven healthy subjects were scanned using a Philips Achieva 7.0 T equipped with a volume transmit and 16-ch SENSE coil. Ten dual echo GE-EPI slices covering the motor cortex were acquired, 2x2x3mm³ resolution, SENSE 2, TE=16/46ms, TR=2.4s. Stimulus consisted of 10 (b) cycles of finger tapping (12s ON, 19.2s OFF) at each F₁O₂. Two F₁O₂ levels of 0.21 (norm) and 0.60 (hyper) supplied using a SGD mask, allowing end-tidal CO₂ level to be maintained constant at each F₁O₂ level (6), rΔCBVv was calculated on a voxel-by-voxel basis using Eq. 3. BOLD activation maps were created from the 2nd echo data using FEAT and clusters of activation were formed (clustered p<0.05). Initial analysis demonstrated both positive and negative changes in $r\Delta CBVv$ in the BOLD cluster. Therefore the cluster was subdivided into regions with positive or negative $r\Delta CBVv$. These regions were used to create an average time-courses across all subjects. **RESULTS** – Fig. 1a shows the $r\Delta CBVv$ time-course averaged over all subjects. Fig. 1b shows the

percent change in BOLD T₂* for the same voxels. Error bars display the intersubject standard error. **DISCUSSION** – We have measured changes in $r\Delta CBVv$ using hyperoxic contrast. We have not presented percentage $\Delta CBVv$ time-courses since we do not have sufficient multiecho data at rest and hyperoxia to correct the data for the effects of macroscopic field inhomogeneities (7). Negative changes in $r\Delta CBVv$ on activation were observed. The BOLD response of the voxels with negative $r\Delta CBVv$ was significantly larger (p<0.001) than for voxels with positive $r\Delta CBVv$. We are working showing positive/negative CBVv changes to confirm the source of these apparent negative. Artifactual negative changes could be produced if displaying (a) rCBVv and (b) normalised ΔS_{ν} is different for the active and passive conditions, despite simulations that predict it to be

constant. This would be expected to occur most in voxels with a large BOLD signal change. This will be tested in future using graded hyperoxia and graded stimuli. Physiological negative changes could be caused by changes in the balance of intra- and extravascular pressure on the elastic venous vessel walls. It is well known that arterial blood volume (CBVa) increases on activation (8), which could cause an increase in extravacular pressure leading to reduced CBVv. The resulting BOLD signal might be expected to be largest for voxels with negative $r\Delta CBVv$, as this would reduce the deoxyhaemoglobin concentration of the blood (9). This will be tested in future by spatial comparison of maps of CBVa change on activation with maps of CBVv change.

REFERENCES – (1) Stefanovic *et al.*, MRM, 53:339 (2005), (2) Pears *et al.*, MRM, 49:61 (2003), (3) Severinghaus, J Appl Physiol, 46:599 (1979), (4) Bulte et al., JMRI, 26:894 (2007), (5) Blockley et al., Proc. ISMRM 2009, #1618, (6) Somogyi et al., Anaesth Intensive Care, 33:726 (2005), (7) Dahnke et al., MRM, 53:1202 (2005), (8) Brookes et al., MRM, 58:41 (2007), (9) Buxton et al., MRM, 39:855 (1998). This work was funded by the Medical Research Council.

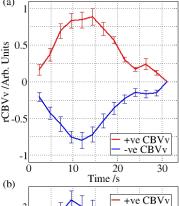
$$\Delta R_{2}^{*rest} = R_{2norm}^{*rest} - R_{2hyper}^{*rest} = \kappa \Delta S_{\nu} \chi_{d} V_{\nu}$$
 [1]

$$\Delta R_2^{*act} = R_{2\,norm}^{*act} - R_{2\,hyper}^{*act} = \kappa \Delta S_{\nu} \chi_d (V_{\nu} + \Delta V_{\nu}) \qquad [2]$$

$$r\Delta CBVv = \Delta R_2^{*act} - \Delta R_2^{*rest} = \kappa \Delta S_v \chi_d \Delta V_v$$
 [3]

$$\Delta CBVv = \frac{\Delta R_2^{*act} - \Delta R_2^{*rest}}{\Delta R_2^{*rest}} = \frac{\Delta V_v}{V_v}$$
 [4]

$$\Delta R_2^* = \left(R_{2norm}^*\right) - \left(R_{2hyper}^* + \Delta R_{2hyper}^{*m}\right)$$
 [5]



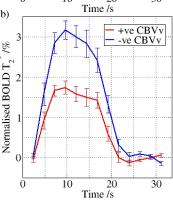


Fig.1 -Time-course averaged across subjects for BOLD activated voxels BOLD T2* at normoxia.