## <u>An Improved Magnetization Saturation Transfer Approach----T<sub>1</sub></u>nom for Rapidly Measuring and Quantifying CK Activity in the Rat Brain

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Method and Experiment: Magnetization saturation transfer method illustrated in Fig. 1 has been popularly used to measure chemical exchange fluxes of reactions among PCr, ATP and Pi. In the case of a frequency-selective RF pulse train with a long saturation time ( $t_{sat}$ ) for completely saturating the γ-ATP resonance and the magnetization of PCr or Pi reaches a steady-state, the unidirectional forward chemical exchange constant ( $k_i$ ) can be deduced by Eq.1 [3, 4], in which  $M^0$  and  $M^*$  are magnetization of PCr or Pi at thermal equilibrium without saturation and steady-state with saturation, respectively;  $T_1^{\text{int}}$  is the intrinsic relaxation time of PCr or Pi. This method is well known as the steady-state magnetization saturation transfer. For the convenience, we rewrite Eq. 1 as Eq. 2. But it is worth to reminding that Eq. 1 only holds under full relaxation condition. In order to improve SNR, a short tr is desired. Generally the magnetizations in the presence ( $M_s$ ) and absence of saturation (control,  $M_c$ ), as well as their ratio are the function of many given experimental parameters and it was indicated by Eq. 3.

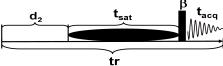
$$k_{f} = \frac{M^{0} - M^{*}}{M^{*}} \times \frac{1}{T_{1}^{\text{int}}} \qquad (1) \qquad \frac{M^{0}}{M^{*}} = k_{f} T_{1}^{\text{int}} + 1 \qquad (2)$$

$$\frac{M_{c}}{M_{s}} = f(M_{Pcr}^{0}, M_{\gamma-ATP}^{0}, M_{Pi}^{0}, T_{1Pcr}^{\text{int}}, T_{1\gamma-ATP}^{\text{int}}, T_{1Pi}^{\text{int}}, k_{f}^{CK}, k_{f}^{ATPase}, tr, t_{sat}, \beta) \qquad (3)$$

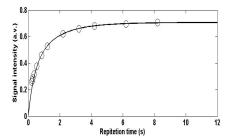
In Eq. 3, chemical equilibrium conditions of CK and ATPase reactions are applied. Therefore, the reverse chemical exchange constants of CK and ATPase are explicitly dependent on the forward chemical exchange constants, and not shown in the equation.  $T_1^{intr}$  and  $M^0$  values of three chemically coupled spins (PCr,  $\gamma$ -ATP and Pi) have been measured in a previous study [5]. Therein, we can simulate the magnetizations ratios of  $M_c$  and  $M_s$  as function of chemical exchange rate constants and repetition times using the modified Bloch-McConeell equations [3] and known parameters in Eq. 3. The purpose is to obtain  $k_f$  with any specific tr and flip angle ( $\beta$ ).

All the *in vivo* <sup>31</sup>P experiments were conducted at 9.4T animal scanner located at the University of Minnesota. A dual RF surface-coil probe consisting of a butterfly-shape <sup>1</sup>H surface coil and an elliptical-shape <sup>31</sup>P surface coil was used for acquiring anatomy images,  $B_0$  shimming and *in vivo* <sup>31</sup>P spectra. The pulse sequence was illustrated in Fig.1. A BISTRO saturation pulse train scheme and an adiabatic pulse, BIR4 with 45° flip angle (BIR4-45), were used to saturate  $\gamma$ -ATP resonance and to read out <sup>31</sup>P signal, respectively. To test the performance of adiabatic pulse, a phantom of inorganic phosphate solution ([Pi] =0.1M, pH=7.0) was prepared. Five male Sprague-Dawley rats anesthetized with 2% isoflurane were used to acquire *in vivo* <sup>31</sup>P-MRS with two different repetition times (1 and 3s) and 256 signal averages. The femoral arteries of rats were catheterized for blood sampling and physiology monitoring. All surgical procedures were approved by the Institutional animal Care and Use Committee of the University of Minnesota.

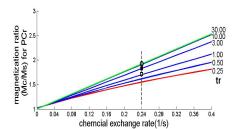
Results and Discussions: An accurate flip angle is critical for  $k_f$  quantification. We have tested the performance of BIR4-45 pulse and results were demonstrated in Fig. 2, showing an excellent pulse behavior. The simulated magnetization ratios of  $M_c$  and  $M_s$  with varied tr were shown in Fig. 3. Obviously when  $tr \ge 4T_1^{\text{mix}}$  (such as tr = 10 or 30 s, or near full relaxation condition), the ratio of  $M_c/M_s$  is a linear function of  $k_f$ , and the relation approaches Eq. 2 with the slop of  $T_1^{\text{int}}$ . Thus,  $k_f$  can be deduced as long as  $T_1^{\text{int}}$  is available. This conventional strategy has been applied to determine the  $k_f$  values in the rat brain at 9.4T [5]. For instance, from the previously measured  $T_1^{\text{int}}$  of PCr (*i.e.* the slop of the green line in Fig. 3) and the magnetization ratio (the circle in Fig. 3),  $k_f$  of CK was deduced as 0.24 s<sup>-1</sup> [5]. When tr is short, however, the ratio of  $M_c/M_s$  will be governed not only by  $k_f$  and  $T_1^{\text{int}}$  but also by the repetition time, flip angle and saturation time. In the rat brain with the same animal preparation as the previous study [5], the ratios of  $M_c/M_s$  measured with two different tr values (1 and 3 s) in the present study show a good agreement with the predicted values indicated in Fig. 3. In principle,  $k_f$  can be estimated from simulations with any arbitrary parameter setup.



**Fig. 1** NMR pulse sequence for magnetization saturation transfer experiments. The control and saturated spectra were acquired by saturation pulse trains (black strip) off and on, respectively.



**Fig. 2** Relative signal intensity (circles) generated by BIR4-45 readout pulse with different tr values. The signal intensity of Pi in phantom solution was normalized to  $\sin(45^\circ)$  at full relaxation condition. The dark line was predicted by the partial saturation effect with  $T_1$ =1.94 s, which was measured using the conventional inversion recovery method.



**Fig. 3** Dependence of magnetization ratios between control ( $M_c$ ) and saturation ( $M_s$ ) on the rate constants ( $k_i$ =0-0.4 s<sup>-1</sup>) and repetition time (tr=0.25-30 s) simulated by the Bloch-equations. Flip angle ( $\beta$ =45°) and d<sub>2</sub>=0 were applied for the simulations. The magnetization ratios indicated by circle, solid and blank squares were measured with tr = 12, 3 and 1s, respectively.

However, it is more interesting that a simple, linear function following Eq. 4 is still satisfied at a wide range of tr. Eq. 4 is very similar to Eq. 1 except that  $T_1^{nom}$  is the nominal  $T_1^{int}$  indicated by Eq. 5 with a correction factor. The  $T_1^{nom}$  value and Eq. 4 can be applied to determine  $k_f$  using two spectra (for measuring the M<sub>c</sub>/M<sub>s</sub> ratio) acquired with desired tr and  $\beta$ .  $\frac{M_c}{M_s} = k_f T_1^{nom} + a \qquad (4) \qquad T_1^{nom} = f(tr, \beta, t_{sat}) \times T_1^{int} \qquad (5)$ 

In conclusion, T<sub>1</sub><sup>nom</sup> approach should provide a simple quantification algorithm to rapidly measure chemical exchange fluxes *in vivo*.

Reference: 1. Bottomley, et al. MRM 2002; 2. Xiong, et al. AJP 2009; 3. Du, et al. MRM 2007; 4. Frosen, et al, JCP 1963; 5. Du et al. PNAS 2008.

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