# Fast T<sub>1</sub> Mapping of Mouse Brain at 7 T with Time-optimized Partial Inversion Recovery utilizing a Surface Coil

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#### Introduction

Measurement of the longitudinal relaxation time constant,  $T_1$ , with inversion recovery sequence (IR) is a time consuming process, because the recovery delay prior to spin inversion must be sufficiently long to allow magnetization to relax toward equilibrium. Additionally, spatial variation of radiofrequency (RF) field induces heterogenous efficiency of spin inversion, leading to significant errors on  $T_1$  quantification, especially when using a surface coil for RF transmission. Here, we present a novel fast  $T_1$  mapping method utilizing a surface coil, called Time—Optimized Partial Inversion Recovery (TOPIR). The method employs a spin preparation module for  $T_1$  mapping with partial inversion recovery (TAPIR), in which a saturation pulse followed by a delay,  $\tau$ , is introduced before each inversion for avoiding the full recovery requirement (1). Imperfection of spin inversion and saturation due to the inhomogenous RF field, which is a deleterious error source on accurate  $T_1$  estimation (2), was compensated by employing adiabatic pulses: HS1 for inversion (3) and BIR—4 for saturation (4).

### Theory

The concept of the time-optimization is to minimize the total scan time under the condition that dynamic range of the sampled relaxation curve is sufficiently wide for spins with  $T_1$  comparable to or shorter than a reference longitudinal relaxation time  $T_1^{ref}$ . In the case of partial inversion recovery, if the first point is sampled immediately after the spin inversion, dynamic range of the recovery curve,  $2M_0\varepsilon$ , is determined depending on the delay  $\tau$  between saturation and inversion, and the longest inversion time  $T_1^{max}$  (Fig.1). In this study,  $T_1$ s were set as a geometrical series with a common ratio of 2. The optimal values of  $\tau$  and  $T_1^{max}$  are obtained for a designated normalized dynamic range of  $\varepsilon$  ( $0 \le \varepsilon \le 1$ ) by analytically minimizing the total scan time (Fig.2):

$$\tau = -T_1^{ref} \log \left\{ \frac{(2-\varepsilon)n_{7I} + 2\varepsilon - \sqrt{\varepsilon^2 n_{7I}^2 + 4\varepsilon(2-\varepsilon) + 4\varepsilon^2}}{n_{7I}} \right\}, \qquad TI^{max} = T_1^{ref} \log \left\{ \frac{2 - \exp(-\tau/T_1^{ref})}{2(1-\varepsilon) - \exp(-\tau/T_1^{ref})} \right\}$$

### Methods

All MRI experiments were performed in a horizontal 7T magnet using a surface coil with a diameter of 2 cm for RF transmission and signal reception. The time-optimization parameters of  $T_1^{ref}$  = 1800 ms,  $n_T$  = 6,  $\varepsilon$  = 0.7–0.9 were employed, resulting in a total scan time of 20–36 sec (Fig.2). In this sequence, after each TOPIR spin preparation, a single snapshot-FLASH with the centric-out k-space filling was performed to acquire the recovering longitudinal magnetization (5). Sequence parameters of the snapshot-FLASH module were as follows: TR/TE = 4.8/2.4 ms, matrix size = 96×96, FOV = 15.4×15.4 mm², and slice thickness = 2 mm. Relatively high excitation flip angles, FA = 20–40°, were employed to ensure sufficient SNR. Conventional IR measurement (cIR),  $\varepsilon$  = 1, was performed for comparison. First, the method was validated by measuring phantoms filled with different concentrations of Gd–DTPA solution;  $T_1$  = 900–3200 ms. Second,  $T_1$  maps of male C57BL mouse at the age of ~10 weeks (n = 5) were acquired, and the  $T_1$  estimates were compared between the optimization conditions for three anatomical regions.

#### **Results and Discussion**

Phantom measurement showed comparable  $T_1$  estimates regardless of dynamic range of the sampled recovery curve; the difference fell within 4% over the  $T_1$  range of 900–3200 ms.  $T_1$  maps of a mouse brain represented consistent  $T_1$  values in the majority of brain tissues (Fig.3). There were regions with relatively high  $T_1$  values found on the map from cIR in the vicinity of internal carotid and middle cerebral arteries due to an influx of brood (arrow), whereas those were not detected on the maps with TOPIR. On TOPIR, the effect of longitudinal relaxation caused by spins outside the RF field flowing into the imaging slice is reduced by minimizing the duration of the spin preparation module. Cerebral spinal fluid (CSF) showed a decreasing trend of  $T_1$  as the dynamic range was squeezed (arrow head). Tissues with longitudinal relaxation times  $\leq T_1^{ref}$  (1800 ms) were sampled with relatively wide dynamic range, and thus yielded accurate  $T_1$ , whereas spins with  $T_1$  much larger than  $T_1^{ref}$ , such as CSF, suffered from underestimation. The  $T_1$  values of the three anatomical areas were comparable regardless of dynamic range and FA (Table 1). The train of successive excitation pulses in snapshot–FLASH module modulates the recovery process depending on the flip angle (1). Although the considerable spatial variation of the RF field due to excitation with the surface coil can induce errors, the centric—out k—space filling minimized the effects, and therefore dependence on the excitation flip angle was negligible. Overall, the current method can conquer the difficulties of  $T_1$ 

quantification with a surface coil for RF transmission.

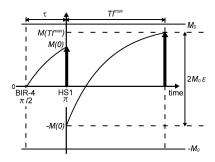


Fig.1 Paradigm of the relaxation process on partial inversion recovery.

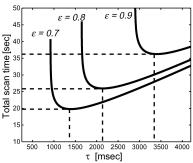


Fig.2 Optimal delay  $\tau$  and the minimal total scan time are obtained at the minimum point.

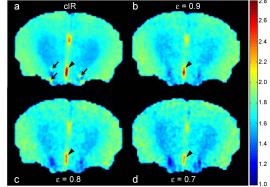


Fig.3  $T_1$  maps of mouse brain measured by cIR and TOPIR with  $\varepsilon$ =0.7–0.9.

Table 1. Comparison of estimated $T_1$
values measured by TOPIR and cIR
sequence. $T_1$ values of three ROIs are
shown along with the standard
deviation $(n = 5)$ . a CC, cerebral
cortex; b HC, hippocampus; BG, basal
ganglia.

	FA=20°				FA=30°			FA=40°		
	$CC^a$	$HC^b$	$\mathrm{BG}^c$	$CC^a$	$HC^b$	$\mathrm{BG}^{c}$	$CC^a$	$HC^b$	$\mathrm{BG}^c$	
cIR	1831±26	1782±29	1612±23	1813±21	1757±31	1602±10	1820±24	1762±34	1613±9	
<i>ε</i> =0.9	1853±36	1790±39	1631±13	1847±37	1776±34	1634±9	1847±44	1774±41	1637±19	
€=0.8	1848±46	1771±42	1620±16	1853±43	1774±40	1636±18	1845±42	1762±46	1630±17	
<i>ε</i> =0.7	1839±42	1755±41	1612±8	1840±47	1759±51	1624±23	1832±46	1749±55	1629±20	

# References

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