## TROMBONE: T1-Relaxation-Oblivious Mapping of B1

## R. Fleysher<sup>1</sup>, L. Fleysher<sup>1</sup>, M. Inglese<sup>1</sup>, and D. Sodickson<sup>1</sup>

<sup>1</sup>Center for Biomedical Imaging, Department of Radiology, New York University School of Medicine, New York, New York, United States

**INTRODUCTION.** Spatially-selective radio-frequency (RF) pulses may be used to perform uniform excitation of a region of interest, to selectively saturate outer volumes, and generally to provide a method for spatial encoding. Parallel excitation using multiple transmit coils, each with spatially distinct sensitivity profile and driven by an independent current waveform, has been shown to allow acceleration of selective excitation and/or reduction of specific absorption rate (SAR) (1). For parallel excitation and other applications, correspondence between the desired and the achieved excitation profile depends on accurate knowledge of the spatial distribution of transmit coil sensitivity,  $B_I^+$ , which must be measured in situ due to coil geometry and field focusing effects, particularly at high magnetic field strength. Transmit profiles themselves are also useful for evaluating the quality of RF coil designs, validating RF field calculations, and correcting image intensities in quantitative methods. We generalize the previously reported method of actual flip-angle imaging (AFI) (2,3) to arbitrary flip angles and repetition times without imposing any approximations at the outset. We posit that the most important criterion in choosing the protocol parameters is the precision per unit time. We find the optimal delays and flip angle to achieve most precise  $B_1$  estimate per unit time, thereby improving precision by a factor of 6 in our optimized TROMBONE method as compared with AFI for the same total imaging time.

**THEORY.** The image intensities,  $S_{1,2}$ , resulting from the imaging sequence shown in Fig. 1 are

$$S_{1,2} = \rho_0 \frac{1 - E_{2,1} + (1 - E_{1,2}) E_{2,1} \cos(B_1 \alpha)}{1 - E_1 E_2 \cos^2(B_1 \alpha)} \sin(B_1 \alpha) e^{-TE/T_2^*}$$
[1]

$$\sigma_{B_1}^2 = \frac{\sigma_0^2 \left(T_{adc}\right)}{N} \left[ \left(\frac{\partial B_1}{\partial S_1}\right)^2 + \left(\frac{\partial B_1}{\partial S_2}\right)^2 \right]$$

related to the apparent transverse relaxation time  $T_2^*$ , spin density  $\rho_0$ , nominal flip angle (FA) α, transmit RF profile described by the actual-to-nominal angle ratio  $B_1$ , echo time TE, and repetition times  $TR_{1,2}$ , by Eq. [1] where  $E_{1,2}$ =exp(- $TR_{1,2}/T_1$ ). Given these images,  $B_I$  is estimated from the ratio  $S_2/S_I$  numerically. If  $\sigma_0(T_{adc}) \propto 1/\sqrt{T_{adc}}$  (4) is the standard deviation

TR, TR,

Fig. 1. Schematic representation of the pulse sequence. Images are acquired after each excitation using EPI readouts. Flip angle and TRs are chosen to optimize precision of  $B_1$  estimation per unit time (normalized error). See Fig.2.

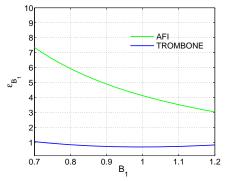


Fig. 2. Normalized error,  $\mathcal{E}_{B1} \propto (\sigma_{B1}/B_1) \sqrt{T/T_1^{tune}}$ , as a function of  $B_1$ . About 6-fold improvement in precision compared to AFI method (3) is expected. See Fig.3d for experimental verification.

of the random noise in an individual image, determined by a common sample, instrument, readout duration  $T_{adc}$  ( $T_{adc} \le 2TE$ ), FOV and resolution then, using error propagation arguments (5), the standard deviation  $\sigma_{BI}$  in  $B_I$  (Eq. [2]) can be minimized in the vicinity of the expected  $B_1=1.0$  subject to the total imaging time constraint  $T=N(TR_1+TR_2)$  where N is the number of averages. Optimality of the protocol requires  $T_{adc}$  to be close to  $T_2^*$  (6). Once a protocol is chosen, Eq. [2] is used to compute  $B_I$  precision at any  $B_I$  (see Fig. 2).

METHODS. Experiments were performed on a 3T Siemens Trio whole-body imager (Siemens AG, Erlangen, Germany) using its transmitreceive head coil, on a uniform water phantom using non-selective excitation and 64-lines-per-shot 3D EPI readout with  $192 \times 192 \times 192 \text{ mm}^3$  FOV and  $64 \times 64 \times 64 \text{ matrix}$ . The optimized protocol was found to be  $FA = 105^{\circ}$ ,  $TR_1/T_1^{nune} = 0.05$ ,  $TR_2/T_1^{nune} = 1.21$ . For comparison,  $FA = 60^{\circ}$ ,

 $TR_1/T_1^{tune}$ =0.02,  $TR_2/T_1^{tune}$ =0.1 was used as in (3), averaged 10 times to have equal duration. Both experiments were repeated 5 times to measure standard deviation of the  $B_1$  maps in each pixel.

**RESULTS.** Presented in Fig.3 are the average  $B_1$  maps produced with both methods along with the histogram of their ratio demonstrating agreement between the two. The histograms of standard deviations,  $\sigma_{BI}$ , (panel **d**) verify the predicted 6-fold improvement in precision for the same total scan time and spatial resolution. The plot in Fig.3e shows that only approximate knowledge of  $T_I$  is needed: despite the fact that the individual images are  $T_1$ -weighted, the  $B_1$  map is not.

CONCLUSION. Without imposing any timing and flip angle restrictions, maximization of the precision per unit time yielded a B<sub>1</sub> measurement protocol (TROMBONE) that is as accurate as but 6 times more precise than the previously reported AFI protocol given a common scan time and spatial resolution. In vivo, assuming  $T_I^{tune}$ =1sec, a 192×192×192 mm<sup>3</sup> volume can be acquired in 81 seconds at 3mm isotropic resolution.

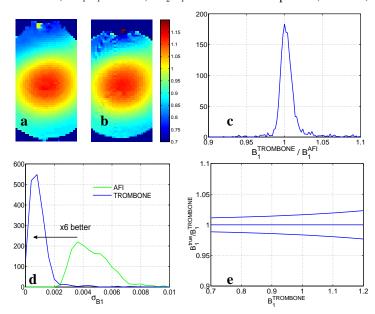


Fig. 3. **a,b:**  $B_1$  maps using TROMBONE and AFI methods. **c:** Histogram of the ratio of B<sub>1</sub>'s showing that both methods agree to within 1%. **d:** Histograms of standard deviations of  $B_1$  for both methods demonstrating 6-fold improvement in precision. e: Varying  $T_1$  within 0.7-4.0 of  $T_1^{tune}$  leads to less than  $\pm 2.5\%$  deviation from true  $B_1$ .

References. 1. Zhu Y. MRM 2004;51:775. 2. Pan J, et al. MRM 1998;40:363. 3. Yarnykh V. MRM 2007;57:192. 4. Macovski A. MRM 1996;36:494. 5. Bevington P. Data Reduction and Error Analysis for the Physical Sciences. New York: McGraw-Hill; 1969. 6. Fleysher L. et al. MRM 2007;57:380.