## The Impact of Imperfect Saturation and Inflow on Perfusion Input Function

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**Introduction:** The estimation of perfusion from signals measured with a  $T_1$ -weighted saturation-recovery turbo-flash (TF) sequence[1] relies on the measurement of an arterial input function[2]. The  $T_1$  values calculated in the input voxel depends on the flow velocity during imaging, and on the effectiveness of the saturation. The saturation pulse is rarely 90 degrees but more commonly several degrees off due to imperfect power optimization, pulse profile, and  $B_1$  inhomogeneities. To assess the effects of inflow and imperfect saturation, computer simulations were performed. These were verified in a flow phantom study, and demonstrated in a human volunteer.

**Methods:** A mathematical expression was derived for the longitudinal steady state magnetization, at time  $T_s$  after saturation when the center of k-space is sampled,  $M_z(T_s)$ . The expression omits inflow but takes into account a non-selective but imperfect saturation pulse,  $p_{90}$ , the  $T_R$  between successive saturation pulses, the post TF delay, the number of imaged slices, the TF flip angle,  $\alpha$ , and the relaxation time  $T_1$ . For plug flow, the magnetization before the TF read-out was calculated as the steady-state value after repeated imperfect  $p_{90}$  pulses. The magnetization during the TF read-out was modeled with reduced number of  $\alpha$ -pulses and prolonged saturation delay, inversely proportional to the depth into the slice.

 $M_z(T_s)$  was simulated using the inflow-model for  $T_1$ =[1000 300]ms,  $\alpha$ =8°,  $p_{90}$ =92°, and  $M_{0z}$ =1. Also,  $M_z(T_s)$  was measured in a human volunteer, and in a flow phantom, d=16mm, at four velocities and two concentrations of Gd-DTPA ( $T_1$ ~1000, 300ms) using Philips Intera 1.5T, head coil, nominal  $\alpha$ =8°, nominal  $p_{90}$ =90°. In both simulations and MR measurements,  $T_s$  was [200 300 400 500 600 800 1000 1600 2000]ms. Finally, the no-flow model was fitted to both simulated and measured data to obtain estimates of  $T_1$ ,  $\alpha$ , and  $M_{0z}$ . This was repeated with  $p_{90}$  fixed at [88°, 90°, 92°, 94°].



Figure 1. Top row: Simulations. Bottom row: Flow phantom. Left column: no-flow model  $\alpha$ -estimates when fitted to inflow data (blue:  $T_1$ =1000ms; green:  $T_1$ =300ms) for different  $p_{90}$  (see legend). Right column: corresponding T1 estimates. Red curves: fixed  $\alpha$  during optimization.

**Results:** The T<sub>1</sub> estimates of the simulations were independent of the flow-velocity (fig.1 top right), and unbiased when the original  $p_{90}$  was chosen ( $p_{90}$ =92). The  $\alpha$ -estimates decreased with flow velocity virtually independent of  $T_1$  when  $p_{90}$ =92 (fig. 1

Table 1. Parameter estimates averaged over 8 input pixels from human volunteer. Red numbers:  $\alpha$  fixed during optimization.

р <sub>90</sub>	88	90	92	94	90
α (+/-SEM)	1 +/- 0.7	3 +/- 1	5 +/- 1	4 +/- 1	8
<b>T</b> <sub>1</sub> (+/-SEM)	1698 +/- 100	1442 +/- 113	1224 +/- 99	1226 +/- 83	2182 +/- 97

top left). Also,  $T_1$  was independent on flow-velocity in the flow measurement when  $p_{g_0}=92$  (fig. 1 bottom right). Table 1 shows that the mean  $\alpha$ -estimate increased with  $p_{g_0}$ , and  $T_1$  decreased to a value reasonable for blood when  $p_{g_0}=92$  or 94. The  $T_1$  values obtained with  $\alpha$  fixed at the nominal value was greatly overestimated in simulations, phantom and human data (red curves fig.1 right, tab.1). Thus, the results of the human and flow experiments supported the simulations.

**Discussion and Conclusions:** This study shows that the inflow effect in a saturation-recovery turbo-flash  $T_1$  measurement may be compensated for in a no-flow model where also the TF flip angle  $\alpha$  is fitted in addition to  $M_{0z}$  and  $T_1$ . The  $\alpha$ -estimate shows a linear dependency on the flow velocity virtually independent on  $T_1$ , and the  $T_1$  estimate is independent on the flow velocity. The independency of the  $\alpha$ -estimate on  $T_1$ , ensures that the baseline parameters may be used in the succeeding perfusion experiment. However, correct  $T_1$  estimates are obtained only if the model accounts for the actual saturation in the measurement.

## References

[1] Haase A., [1990],MRM\_13:77-89.

[2] Larsson HWB et.al, [2001],MRM\_46:272-281.