## Enhanced Diffusion Weighting Generated by Selective Composite Adiabatic Pulses

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**Introduction:** Frequency selective adiabatic full passage (AFP) pulses have been used in imaging and localized spectroscopy with high tolerance to  $B_1$  inhomogeneity [1-3]. Previous research demonstrated that selective chirp AFP pulses generate spin phase that is quadratically proportional to the local spin resonance frequency [4]. This nonlinear phase variation across the selected slice was compensated using two identical AFP pulses [1, 2, 4] to generate a robust spin-echo. Conversely, the nonlinear phase dispersion can also be increased using alternate frequency sweep (AFS) composite AFP pulse trains [5] incorporated into the localization by adiabatic selective refocusing (LASER) sequence [2] to increase diffusion weighting. However, a preliminary study using the LASER sequence demonstrated that the apparent diffusion coefficient (*D*) could not be measured accurately in nickel(II) doped water phantoms with short T<sub>2</sub>, due to the small *b*-value produced by the selective AFP pulses alone. In the current study, a pair of pulsed gradients was incorporated into the LASER pulse sequence to increase the associated *b*-value. The purpose of this study was to determine whether selective adiabatic composite pulse trains could produce enhanced diffusion weighting and be used in combination with pulsed gradients to measure <sup>1</sup>H<sub>2</sub>O diffusion in phantoms spanning of a wide range of  $T_2$  values. An expression for the *b*-value generated by the LASER sequence was derived using the Bloch-Torrey equation following the method previously described [6]. A conventional pulsed gradient spin-echo (PGSE) sequence was employed as the gold standard for diffusion measurements in all phantoms.

**Methods:** Frequency selective adiabatic composite pulse trains consisting of 1, 3, 5, or 7 hyperbolic secant (HS1, R10, [2]) AFP-AFS pulses were used in the LASER sequence (Fig. 1). Pulsed gradients were added symmetrically on both sides of the refocusing selective adiabatic composite pulse train separated by a diffusion time ( $\Delta$ ) (Fig. 1). Six phantoms (Ph-1 to Ph-6) were studied on a 4T Varian whole body MRI with a Siemens Sonata gradient coil using a hybrid birdcage transmit/receive radio frequency coil (7.7 cm ID). Phantoms consisted of 2.8 cm diameter (50 ml) plastic tubes containing a mixture of 10 µm ORGASOL polymer beads and 2 mM Gd-DTPA dissolved in 5% agar (Ph-1), and nickel(II) ammonium sulphate hexahydrate doped (0.8 - 56.3 mM) water solutions (Ph-2 to Ph-6). The transverse relaxation time constant  $T_2$  was measured from a single 5 mm transverse slice in each phantom using a spin-echo (SE) sequence (TE = 40 - 60 ms in steps of 5 ms). The repetition time (TR) was varied (2 - 4 s) for each phantom to minimize  $T_1$  saturation. The diffusion coefficient (D) of each phantom was measured with both PGSE and LASER by varying  $G_d$  while fixing  $\Delta$  and TE for a particular phantom (FOV = 4 cm, matrix = 64 x 64,  $G_d = 0 - 3.5$  G/cm in step of 0.5 G/ cm, TE = 62 - 72 ms, TR = 2 - 4 s,  $\delta = 10$  ms,  $\Delta = 35 - 40$  ms, slice thickness = 5 mm). Ph-1 and Ph-4 were measured using 1, 3, 5, and 7 AFP pulses in the AFP-AFS pulse train, while other phantoms were measured with 1 and 5 AFP pulses only.  $T_2$  time constants were calculated from the linear regression of the natural logarithm (ln) of the image signal intensity (SI) of the SE images with TE. The *D*-value for each phantom was calculated by the linear regression of ln(SI) (PGSE or LASER image signal intensity) with the *b*-value. The *b*-values for the PGSE and LASER sequences were calculated using Stejskal-Tanner equation [6] and self-derived equations, respectively.

**Results:** Typical diffusion weighted images are shown in Fig. 2. Increased image intensity was observed in the bead phantom (Ph-1) while decreased image intensity was observed in the nickel(II) doped water phantom (Ph-4) as the number of pulses in the AFP-AFS pulse train increased (while maintaining a constant TE (72 ms) and pulsed gradients (3.5 G/cm)). In the bead phantom (Ph-1), there is a clear increase in signal intensity associated with the use of more refocusing pulses in the AFP-AFS pulse train (i.e. 7 AFP line is above the 1 AFP line), while the converse is true for Ph-4. The  $T_2$  time constants and *D*-coefficients measured for each phantom are summarized in Table 1.



**Discussion:** A diffusion-weighted imaging sequence incorporating LASER was successfully implemented and used to measure the apparent diffusion coefficient in phantoms exhibiting a wide range of  $T_2$  relaxation time constants. In comparison to the conventional PGSE sequence, the diffusion-weighted LASER sequence can generate unique diffusion contrast at the same pulsed gradient amplitude and TE due to the nonlinear phase dispersion generated and the spin-locking effect associated with the AFP-AFS pulse train. The combination of  $T_{2p}$ ,  $T_2$ , and diffusion weighting produced by the AFP-AFS-LASER sequence has demonstrated opposite effects on image signal intensity depending on the sample microscopic susceptibility characteristics [7, 8]. This important feature of the AFP-AFS-LASER sequence in comparison to the conventional PGSE sequence may be used to identify the presence of magnetic perturbers that have different magnetic susceptibility compared to surrounding material (i.e. tissue).

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