

# Minimizing Slice Profile Effects in T1W Perfusion Imaging

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**INTRODUCTION:** T<sub>1</sub> perfusion measurements during bolus passage may be performed using a saturation-recovery TurboFLASH sequence with a small flip angle, α. The repeated use of α with imperfect slice profile generates an imperfect signal profile. The sequence may be used for a baseline T<sub>1</sub> measurement to estimate, in addition to T<sub>1</sub>, the parameters, M<sub>0</sub> and α, that are to be fixed during the succeeding bolus passage. It is shown here that fixating α on the nominal value during parameter estimation may cause severe underestimation of T<sub>1</sub> and lead to erroneous perfusion estimates. If however, α is allowed to vary, T<sub>1</sub> is accurately estimated. Based on this observation, a procedure for estimating T<sub>1</sub> at a realistic noise level is proposed.

**THEORY:** T<sub>1</sub> perfusion may be measured using saturation-recovery TurboFLASH[1]. The transverse magnetization from the saturation-recovery turboFLASH[2] sequence at time T<sub>s</sub> is:  

$$M_{xy}(T_s) = \int M_0 \sin(\alpha(z)) [(1-b)(1-a^n(z) b^n) / (1-a(z)b) + (1-c) a^n(z) b^n] dz, \quad \text{Eq. (1)}$$
 where  $a = \cos(\alpha(z))$ ,  $b = \exp(-T_r/T_1)$ , and  $c = \exp(-(T_s - (n-1)T_r)/T_1)$ , n is the number of lines to the centre of k-space, and T<sub>r</sub> is the delay between α pulses. α is a function of position, z.

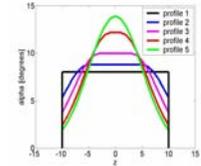


Fig.1 Simulated slice profiles

**METHODS:** Baseline M<sub>xy</sub>(T<sub>s</sub>) profiles were generated 200 times using the above equation for each of five artificial slice profiles (fig.1) ranging from box to the more realistic Gaussian shaped[3] all with mean α of 8°, T<sub>r</sub>=3.4ms, n=37, M<sub>0</sub>=1, T<sub>1</sub>=900ms for nine values of T<sub>s</sub> [150-2000]ms. Fig.2 shows examples of M<sub>xy</sub> before averaging over z. Random noise with standard deviation of 1% of M<sub>xy</sub>(max(T<sub>s</sub>)) for the box was added to all signals. 3 strategies were then used when fitting Eq.(1) with one common α (not a function of z) to the data: 1) α fixed at 8°; 2) α estimated; 3) α fixed at the mean α estimate from the second method. M<sub>0</sub> and T<sub>1</sub> were also estimated.

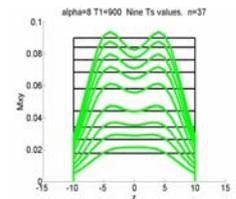


Fig.2 Simulated signal profiles for increasing Ts (bottom to top) for profiles 1 and 5 (see fig1). T<sub>1</sub>=900ms.

The M<sub>0</sub> and α estimates of methods 1 and 3 were then kept fixed and only T<sub>1</sub> was estimated in 200 new data sets for 10 R<sub>1</sub>(=1/T<sub>1</sub>) from [1-10]s<sup>-1</sup> representing bolus R<sub>1</sub> values.

**RESULTS:** Fig.3 shows the baseline T<sub>1</sub> estimate for the 3 strategies. Fixating α produced the correct estimate for the most rectangular pulse profiles, but for the gaussian-shaped profiles, an error of about 5% was encountered. Estimating α produced correct T<sub>1</sub> estimates regardless of the slice profile with large standard deviations. Repeating the estimation with α fixed on the mean of the estimated α's also resulted in correct T<sub>1</sub> estimates and reduced the standard deviations. Fixating α and M<sub>0</sub> found at T<sub>1</sub>=900ms (baseline) during estimation of T<sub>1</sub> in the second data set (bolus passage) produced the relative R<sub>1</sub> estimates shown in fig.4 as a function of the true R<sub>1</sub>. The error encountered for gaussian shaped profiles at T<sub>1</sub>=900ms propagated as R<sub>1</sub> increased. Fixating α on the mean baseline value successfully estimated R<sub>1</sub> regardless of the underlying slice profile.

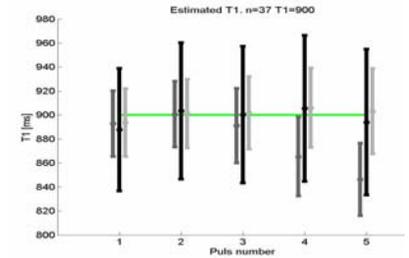


Fig.3 Estimated T<sub>1</sub> values for 5 profiles. Dark gray: fixed nominal α. Black: fitted α. Light gray: fixed on mean α estimate. True T<sub>1</sub>=900ms.

**CONCLUSIONS:** The non-ideal slice profiles of the turboFLASH pulse may lead to an underestimation of T<sub>1</sub> in a baseline T<sub>1</sub> measurement if the flip angle is fixed at the nominal value. This error increases when the baseline values are used for signals measured at other T<sub>1</sub> values as would be the case during bolus passage. If, however, α is estimated, the T<sub>1</sub> estimate accurately resembles the true T<sub>1</sub>. To increase the precision of the T<sub>1</sub> estimate in human studies, α may initially be estimated in many pixels, and then low-pass filtered and fixed at this value in a repeated fit. This approach is applicable, since even though T<sub>1</sub> varies, α only has low spatial frequency variations due to B<sub>1</sub>-inhomogeneities. The approach leads to more accurate and precise T<sub>1</sub> estimates, and hence also to improved perfusion quantification.

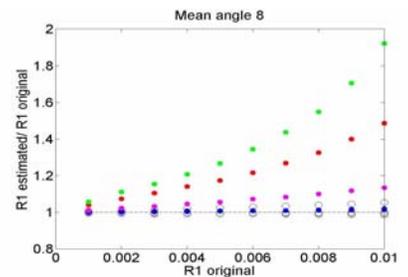


Fig.4 Relative R<sub>1</sub> values as function of true R<sub>1</sub> for different slice profiles (colors of fig1). Dots: fixed nominal α. Open circles: fixed on mean α-estimate.

**REFERENCES:**

- [1] Andersen IK, *et al.* (2002). In Proc. ESMRMB, 2002
- [2] Haase A., (1990), MRM 13:77-89.
- [3] Hänicke, *et al.* (1990), Med. Phys. 17, 6.