Variability of model-based blood volume correction and vessel permeability estimation in dynamic susceptibility contrast MRI: A computer simulation study

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Introduction: Dynamic susceptibility contrast (DSC) MRI is a noninvasive tool for diagnosis and treatment evaluation of brain tumors [1]. One of the assumptions in DSC-analysis is based on an intact blood-brain barrier (BBB). However, when BBB is disrupted, contrast agent can leak into extravascular space and result in errors in the estimation of tumor blood volumes (BV). Mathematical models have been developed to correct for T1 and T2 effects originated from the contrast agent extravasations [2, 3], and showed additional potentials for assessing vessel permeability. This study aimed to assess the variability of BV corrections as well as quantification of vessel permeability, based on the model, that attribute to noises in the data. Baseline longitudinal relaxation rates (R10) were simulated as both a variable in data fitting or fixed values from measurements.

Methods: A two-compartmental model was used to correct the combined T1 and T2 effects due to contrast agent leakage in the measured DSC-MRI signals [3]:

$$\Delta R_2^*(t) = -\frac{\ln(S(t)/S(0))}{TE} = K_1 \cdot \Delta R^*(t) + \frac{PS}{V_p} \cdot \int_0^T \Delta R^*(t') dt' - \frac{1}{TE} \cdot \ln \left\{ 1 - e^{-2\frac{\Delta R^*}{r_T}} \right\}$$

where $S_0$ is the baseline signal, $K_1$ is a proportional constant, $\Delta R_2^*(t)$ is an averaged effective transverse rate change time curve ($\Delta R^*(t)$) without leakage, as obtained from normal tissue, $\Delta R_2^*(t)$ is the measured $\Delta R^*(t)$ from a tumor voxel, $r_T$ is the longitudinal relativity of contrast agent, and $V_p$ is the blood volume of the normal reference tissue. TR and TE are the repetition time and the echo time of MRI sequence parameters. Three unknown parameters, $K_1$, R10, and PS/Vp, can be obtained from a least-square fitting, and used to calculate corrected BV. When R10 is measured, unknown parameters are reduced to two and better fitting is expected. Monte Carlo simulation was applied to add different noise levels (Gaussian noise with SNR=10, 50 and 100) to the tumor signal time curves with 1000 iterations each. Concentration time curves with three different levels of vessel permeability (permeability surface-area product, PS, = 0.0006, 0.001 and 0.003) were generated using the following equation before they were converted into tumor signal time curves:

$$\Delta R_{2*}(t) = \frac{PS}{V_p} \cdot \frac{r_T}{r_2^*} \cdot \int_0^T \frac{\Delta R_2^*}{r_2^*} dt' \cdot \Delta R_{2*}(t) = \frac{PS}{V_p} \cdot \int_0^T \Delta R_2^* dt'$$

Eq.[1] was applied for fitting the simulated tumor time curves. Mean error and coefficient of variance (CV) of PS/Vp and corrected BV were calculated for each permeability and SNR condition.

Results: Fig. 1 shows that measuring R10 can reduce the mean error and variation of corrected BVs in all conditions, especially for high permeability and low SNR. When vessel leakage is minor (Fig. 1(a)), mean errors was less than 5% even without measuring R10. Similarly, Fig. 2 shows that measuring R10 can reduce the mean error and variation of PS/Vp estimations in all conditions. Percent errors of the PS/Vp were greater when the target values were either large or small. When R10 is provided, mean errors of PS/Vp estimates were less than 5% in all cases.

Conclusion: Our computer simulations showed that quality of model-based BV correction and permeability estimation depended on both SNR and severity of contrast agent leakage in DSC-MRI. Accurate measurement of baseline T1 is especially helpful for the situation of high vessel permeability and low SNR acquisition.


Fig. 1 The mean error and CV of rCBV

(a) PS=0.0006  (b) PS=0.001  (c) PS=0.003

Fig. 2 The mean error and CV of PS/Vp

(a) PS=0.0006  (b) PS=0.001  (c) PS=0.003